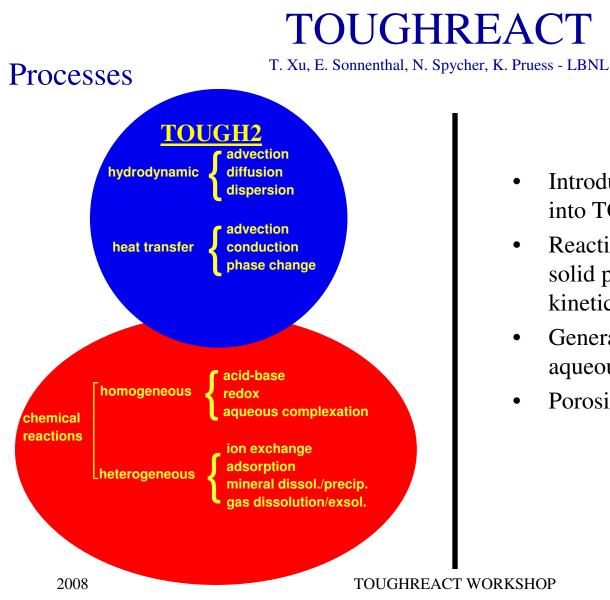
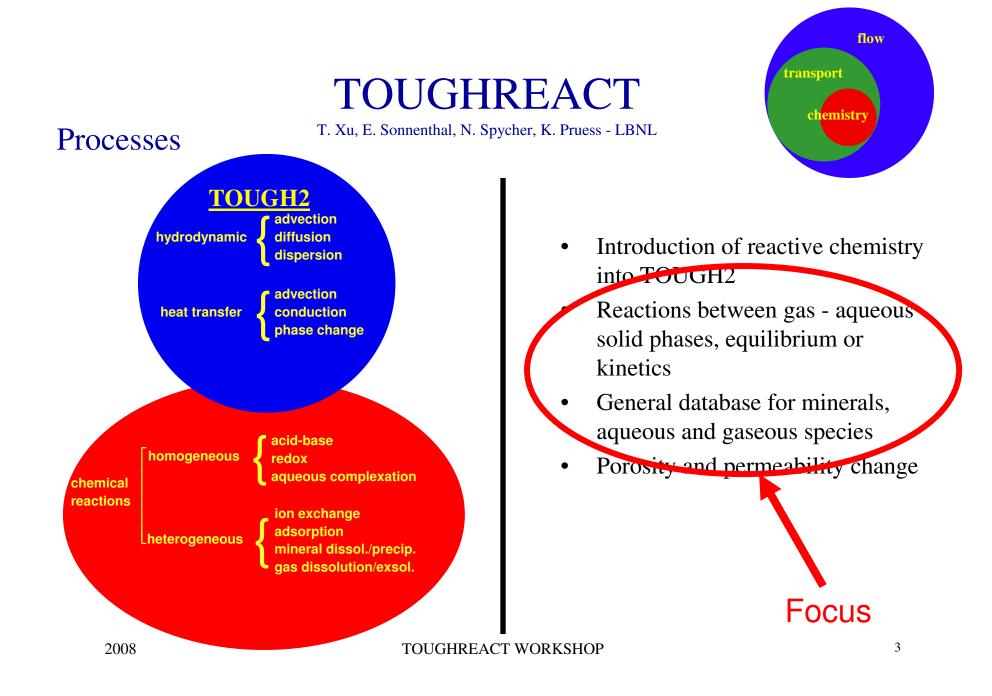
# Multicomponent Geochemical Computations in TOUGHREACT

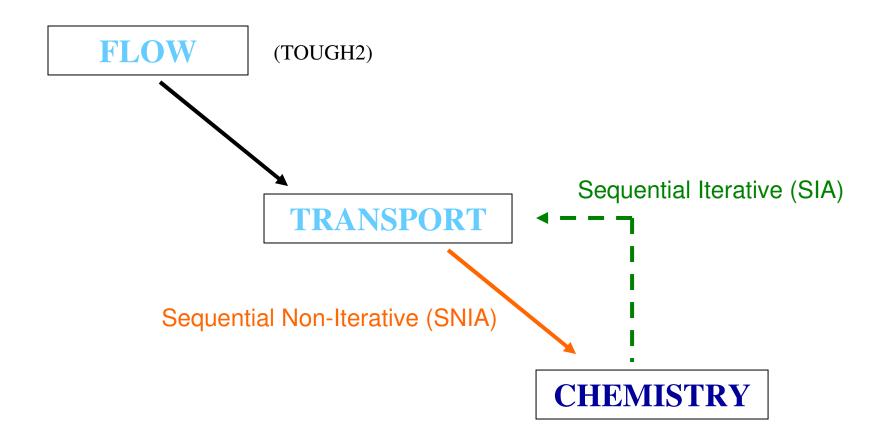
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- flow transport chemistry
- Introduction of reactive chemistry • into TOUGH2
- Reactions between gas aqueous -• solid phases, equilibrium or kinetics
- General database for minerals, • aqueous and gaseous species
- Porosity and permeability change



#### Reactive Transport Computational Approach



# Multicomponent Chemical System

- Multicomponent Reactions (water must be present)
  - Aqueous Species
  - Minerals
  - Gases
  - Exchange Species
  - Surface Complexes (v2.0 beta)
- Aqueous Speciation: equilibrium (v2.0 beta with kinetics)
- Surface Complexation/Exchange: equilibrium
- Mass Transfer:
  - Minerals: equilibrium or kinetic constraints
  - Gases: equilibrium
- External Thermodynamic Database: reaction stoichiometries, equilibrium constants, activity coefficient data, etc.

# Geochemical Computations - General

- Chemical system definition
  - Temperature and Pressure
  - Total aqueous concentrations (e.g., analytical)
  - Mineral amounts (0 for potential secondary phases)
  - Gas partial pressures (optional, unsaturated medium)
- Numerical approach: mass balance/mass action
  - Primary aqueous species (actual unknowns)
  - Derived species (functions of primary species mass action)
    - Secondary aqueous species (ion pairs, complexes)
    - Minerals
    - Gases
  - Newton-Raphson iterative procedure
    - Solve for concentrations of primary species and kg water
    - Derive all other concentrations, mineral amounts, and gas partial pressures from mass action laws involving primary species

# Example Chemical System

- Components of interest:
  - O, H, Na, Cl, Ca, S, C
- Primary species reflecting the components:
  - H<sub>2</sub>O, H<sup>+</sup>, Cl<sup>-</sup>, Ca<sup>+2</sup>, Na<sup>+</sup>, SO<sub>4</sub><sup>-2</sup>, HCO<sub>3</sub><sup>-</sup>
    - Best to use primary species representing dominant species
    - $H_2O$  and H<sup>+</sup> always primary species in TOUGHREACT
- Secondary aqueous species
  - $OH^-$ ,  $CO_3^{-2}$ ,  $HSO_4^{-}$ ,  $CaHCO_3^+$  etc... (automatic selection or specified)
- Minerals (specified input)
  - Calcite (CaCO<sub>3</sub>), Gypsum (CaSO<sub>4</sub>) etc...
- Gases (specified input)
  - $CO_{2(g)}$ ,  $HCl_{(g)}$  (Note,  $H_2O_{(g)}$  is handled by flow EOS modules!)

### **Mass-Action Equations**

- Expressions in terms of primary species only
- Secondary aqueous species  $(a_i = \gamma_i \times m_i)$ 
  - OH<sup>-</sup> + H+ = H<sub>2</sub>O  $K_{OH-} = a_{H2O} / (a_{H+} \times a_{OH-})$ HSO<sub>4</sub><sup>-</sup> = H<sup>+</sup> + SO<sub>4</sub><sup>-2</sup>  $K_{HSO4-} = (a_{H+} \times a_{SO4--}) / a_{HSO4-}$ CO<sub>3</sub><sup>-2</sup> + H<sup>+</sup> = HCO<sub>3</sub><sup>-</sup>  $K_{CO3--} = a_{HCO3-} / (a_{H+} \times a_{CO3--})$ CaHCO<sub>3</sub><sup>+</sup> = Ca<sup>+2</sup> + HCO<sub>3</sub><sup>-</sup>  $K_{CaHCO3} = (a_{Ca++} \times a_{HCO3-}) / a_{CaHCO3}$
- Minerals

$$CaCO_{3(s)} + H^{+} = Ca^{+2} + HCO_{3}^{-} K_{calcite} = (a_{Ca++} \times a_{HCO3-}) / a_{H+}$$
$$CaSO_{4(s)} = Ca^{+2} + SO_{4}^{-2} K_{gypsum} = a_{Ca++} \times a_{HCO3-}$$

• Gases  $(f_i = \phi_i \times P_i)$  $CO_{2(g)} + H_2O = HCO_3^- + H^+$   $K_{CO2} = (a_{H+} \times a_{HCO3-}) / (f_{CO2} \times a_{H2O})$ 

### **Mass-Balance Equations**

- Total moles (M<sup>t</sup>) in terms of molal concentrations (mol/kg<sub>w</sub>)
  - Solutes  $M_{C}^{t} = \{[HCO_{3}^{-2}] + [CO_{3}^{-2}] + [CaHCO_{3}] \dots\} \times kg_{w} + \Delta n_{calcite} + n_{CO2(g)} + \dots$   $M_{H+}^{t} = \{[H^{+}] - [OH^{-}] - [CO_{3}^{-2}] + [HSO_{4}^{-}] + \dots\} \times kg_{w} - \Delta n_{calcite} + n_{CO2(g)} + \dots$   $M_{Ca}^{t} = \{[Ca^{+2}] + [CaHCO_{3}^{+}] + \dots\} \times kg_{w} + \Delta n_{calcite} + \Delta n_{gypsum} + \dots$

- Solvent (water, after Reed 1982 GCA)  

$$M_{w}^{t} = \{55.505 + [...] + ...\} \times kg_{w} + \Delta n_{...} - n_{CO2(g)} + ...$$

- Minerals incremental change  $\Delta n_m$  (in moles) Kinetics:  $\Delta n_m = R \times \Delta t$  R = kinetic rate (positive = dissolve) Equilibrium: solve for  $\Delta n_m$  by adding mass action eqn (negative = dissolve)
- Gases, at equilibrium total moles n<sub>i</sub> (change + initial)
   From gas law: P<sub>i</sub>V = n<sub>i</sub>RT with gas concentration = n<sub>i</sub>/V and P<sub>i</sub> from massaction law (ideal, P = f, except with ECO2 module)

# Activity Coefficients Calculations

• Charged species and water:

Extended Debye-Hückel (Helgeson et al., 1981 AJS)

- Assumes predominant ions are Na<sup>+</sup> and Cl<sup>-</sup>
- Careful above ionic strength 1 molal for non Na-Cl dominant waters!
- Not bad to  $\sim 6 \text{ m}$  for <u>pure</u> NaCl solution
- Remove NaCl<sub>(aq)</sub> (derived species) in the database!
- Watch! D-H a<sub>0</sub> values are calculated from input effective radii in database (different from more standard "b-dot" equation)
- Neutral species:
  - Optional Setchenow equation:  $log(\gamma) = (const) \times (ionic strength)$ , otherwise  $\gamma$  values are set to one
  - Dissolved gases: Drummond (1981 unpubl. Ph.D. Penn State)
- Unreleased beta-version with Pitzer ion-interaction model for concentrated solutions (Zhang et al., 2006)

# **Redox Reactions**

- Same approach as non-redox reactions if:
  - Unique redox couple (i.e., donor and acceptor) is defined with two primary species. For example:
    - $H_2O$  and  $O_2$  (preferable if dealing with mostly oxidized systems)
    - $SO_4$  and  $HS^-$  (preferable if dealing with mostly reduced systems)
  - Electron transfer is balanced using the specific redox couple in all reactions of the database (i.e., no free electrons!).
- Example:
  - Primary species: Fe<sup>+3</sup>, H<sub>2</sub>O, O<sub>2(aq)</sub>, etc... (with Fe<sup>+2</sup> as secondary species) Fe<sup>+2</sup> +  $0.25O_{2(aq)}$  + H<sup>+</sup> = Fe<sup>+3</sup> +  $0.5H_2O$
  - Primary species:  $Fe^{+2}$ ,  $SO_4$  and  $HS^-$ , etc... (with  $Fe^{+3}$  as secondary species)  $8Fe^{+3} + HS^- + 4H_2O = 8Fe^{+2} + SO_4^{--} + 9H^+$
- Utility provided to "switch" the redox couple in the database
- Unreleased v2.0 beta with redox disequilibrium (Xu, 2006)

# Thermodynamic Data

•  $\log(K)$  values for mass-action equations and D-H parameters for activity coefficients are calculated as functions of temperature ( $T_K$ , Kelvin) from coefficients read in external database for given reaction stoichiometries

 $a + \ln(T_K) + b + cT_K + d/T_K + e/T_K^2$ 

#### • Watch!!!! Crucial for confidence in results!

- Quality/consistency of log(K) data
- Applicability of activity coefficient model
- Consistency between activity coefficient model and types of secondary aqueous species and their log(*K*) values
- DO NOT use supplied database as black box!
- Understand the data you are using (trash in = trash out)

### Kinetic Data

$$Rate = \pm kA_m \prod_i a_i^p \left[ \left( \frac{Q}{K} \right)^m - 1 \right]^n$$

(e.g., Steefel and Lasaga, AJS, 1994)

• Rate constant k

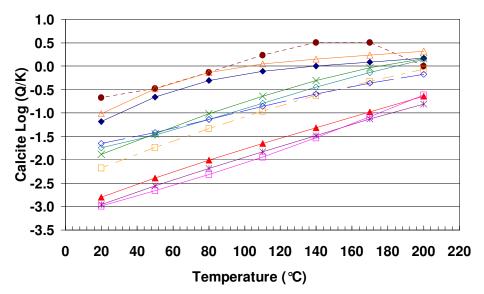
$$k = k_0 \exp\left[\frac{-E_a}{R} \left(\frac{1}{T} - \frac{1}{298.15}\right)\right]$$

- Surface area  $A_m$
- Equilibrium constant *K*

Q is ion activity product,  $a_i$  are individual activities (e.g., H<sup>+</sup>) Equilibrium at Q/K = 1, dissolution at Q/K<1, precipitation at Q/K>1

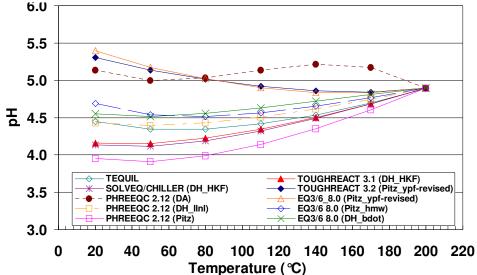
# Large uncertainty in $A_m$ and k !!

#### Beware of Data/Model Limits (!)



Cool same geothermal brine from 200°C (pH 4.9, ionic strength 1.8)

This is mostly an effect of activity coefficient uncertainty at elevated temperature when dealing with concentrated solutions



TOUGHREACT WORKSHOP

#### Useful General References (not related to TOUGHREACT)

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